

Comparative Visualization: Interactive Designs and Algorithms Depending on Data and Tasks

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VIS Tutorial 2018



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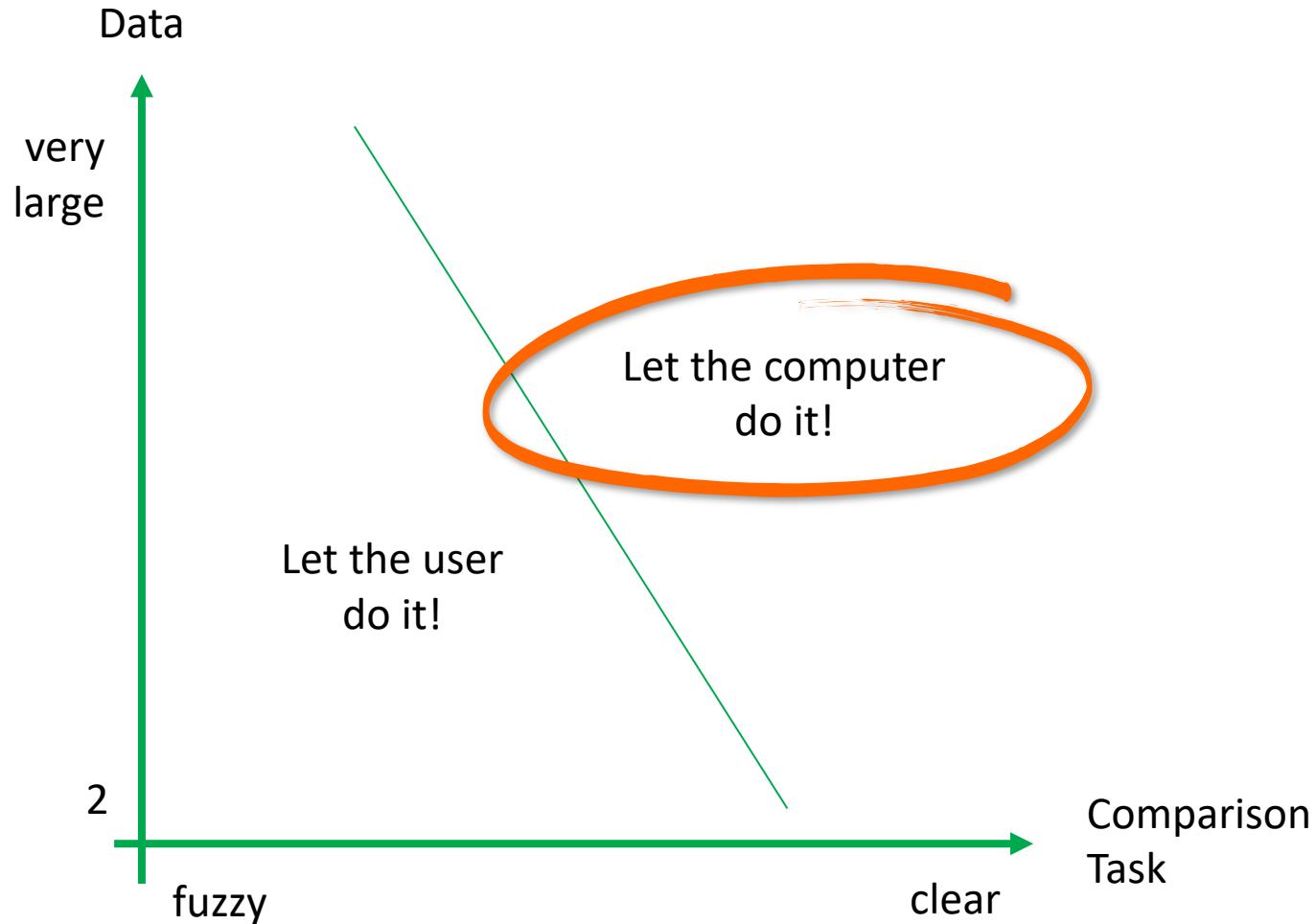
Edinburgh Napier
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1. TU Darmstadt, Darmstadt, Germany
2. Aarhus University, Denmark
3. Edinburgh Napier University, UK
4. TU Wien, Austria

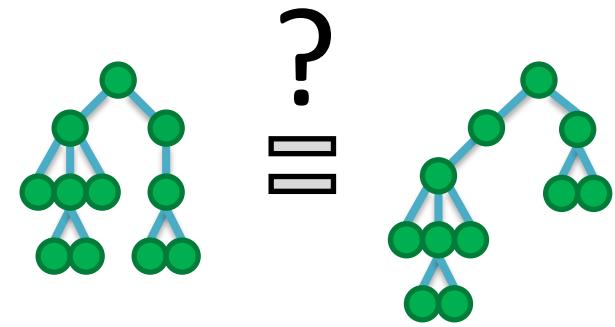
PART II: ALGORITHMIC COMPARISON

Who performs the comparison?



1-to-1 Comparison

MATCHING



Definition

Matching:

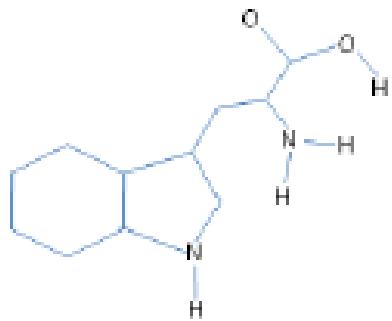
Determination if a data object is related to another in quality, structure, or amount.

Levels of Relational Strictness:

- Identity
- Equivalency
- Similarity

Exact vs. Inexact Matching

query



L-tryptophan

results

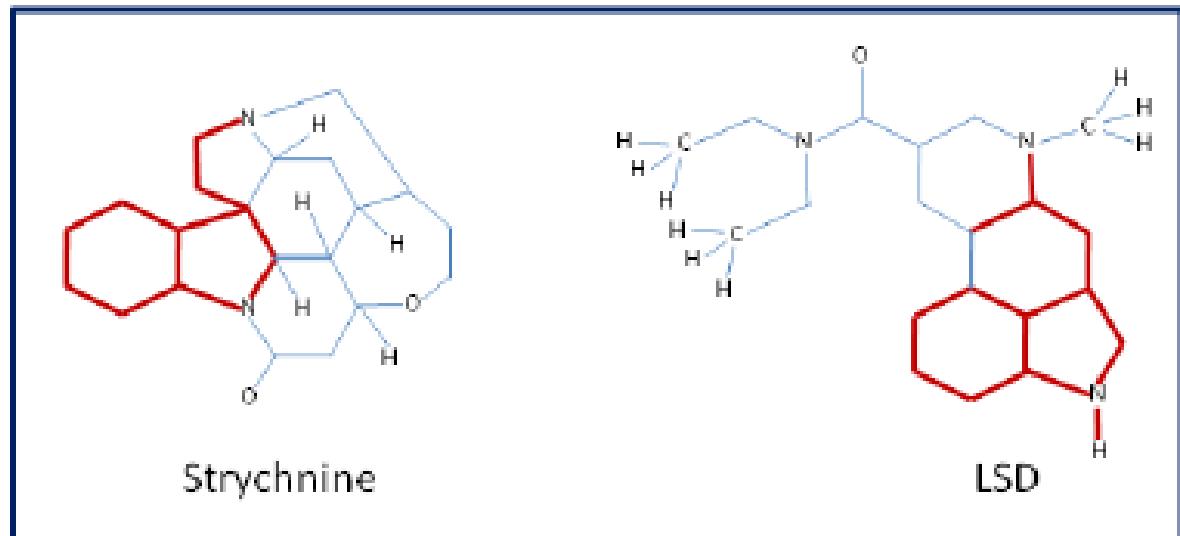


image taken from [Mongiovi et al. 2010]

Principal Pragmatic Approach

Given a Matching Algorithm, e.g.

- String Matching (RegEx, BLAST,...)
- Time Series Matching (DTW, LCSS, DISSIM,...)
- Graph Matching (TALE, SIGMA,...)

Transform data to string/pseudo-time series/graph and process with given algorithm.

BLAST: [Altschul et al. 1990]

DTW: [Berndt & Clifford 1994]

LCSS: [Vlachos et al. 2002]

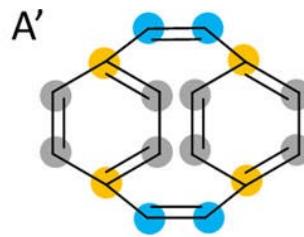
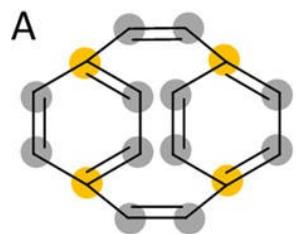
DISSIM: [Frentzos et al. 2007]

TALE: [Tian & Patel 2008]

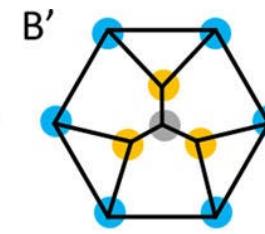
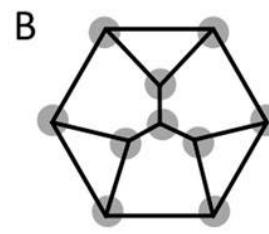
SIGMA: [Mongiovi et al. 2010]

Graph -> String Conversion

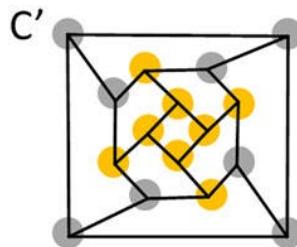
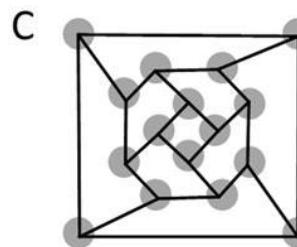
Canonical Labeling, Canonization



C1=CC2=CC=C1\|C=C/C1=CC=C(C=C1)\|C=C/2



C12C3C4C5C6C1C6C(C23)C45



C12C3C4C1C1C5C6C7C8C6C1C4C8C3C7C25

Time Series -> String Conversion

Symbolic Aggregate Approximation (SAX)

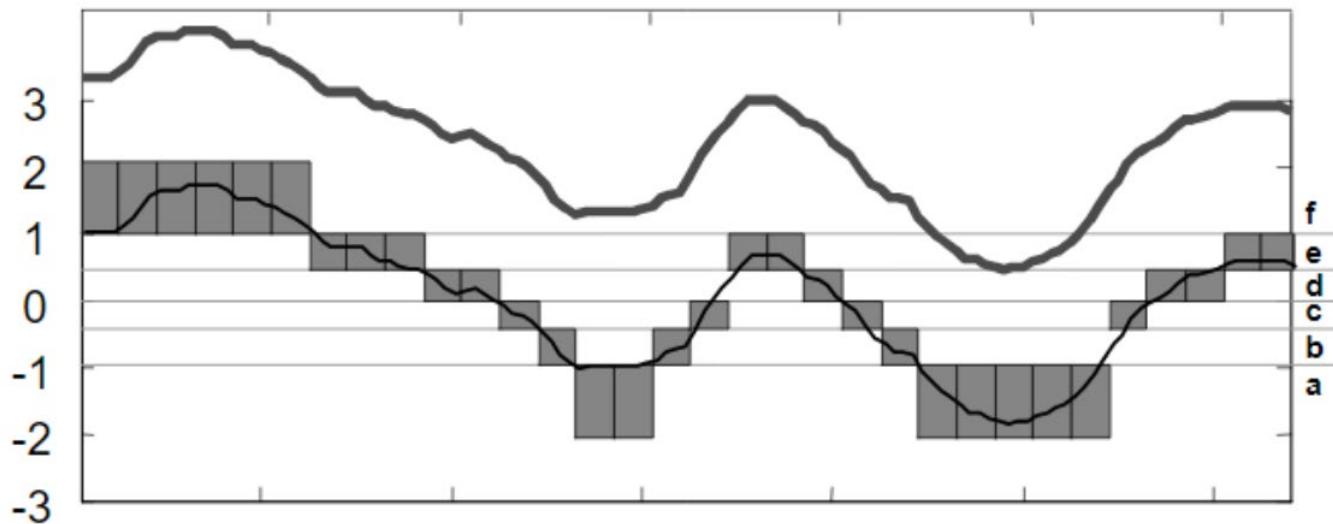


Image -> Pseudo-Time Series

Column- / Row-wise Aggregates

image taken from [Abdul-Moneim 2013]

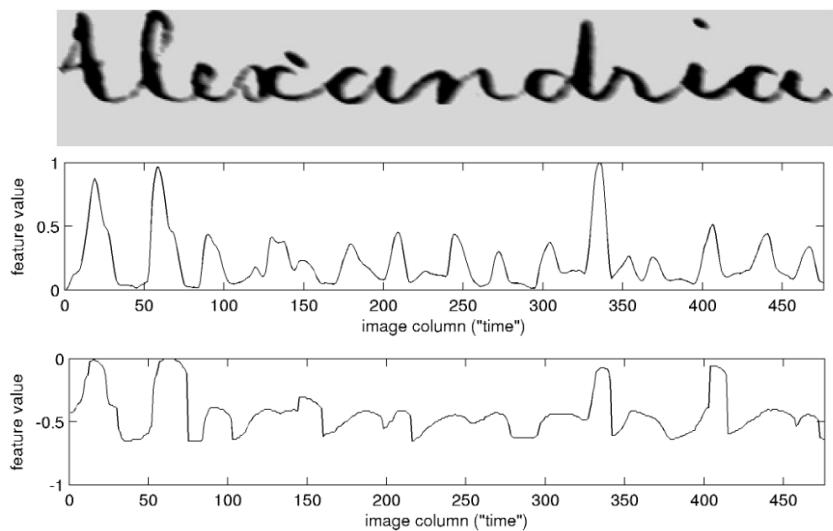
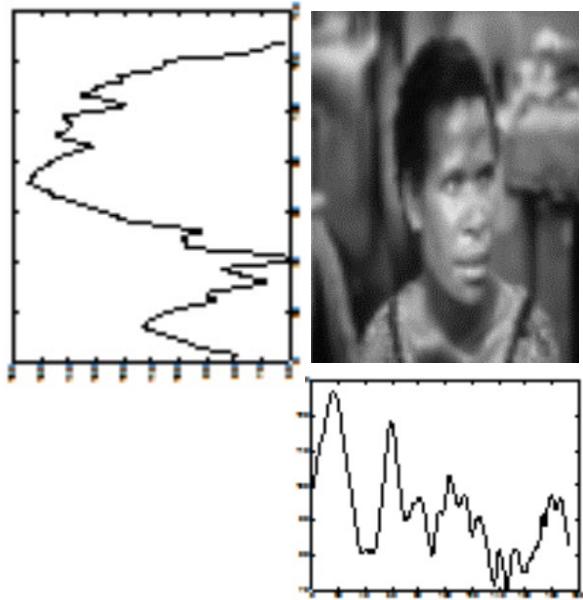


image taken from [Rath & Manmatha 2003]

Shape -> Pseudo-Time Series

Boundary Extraction w.r.t. Centroid

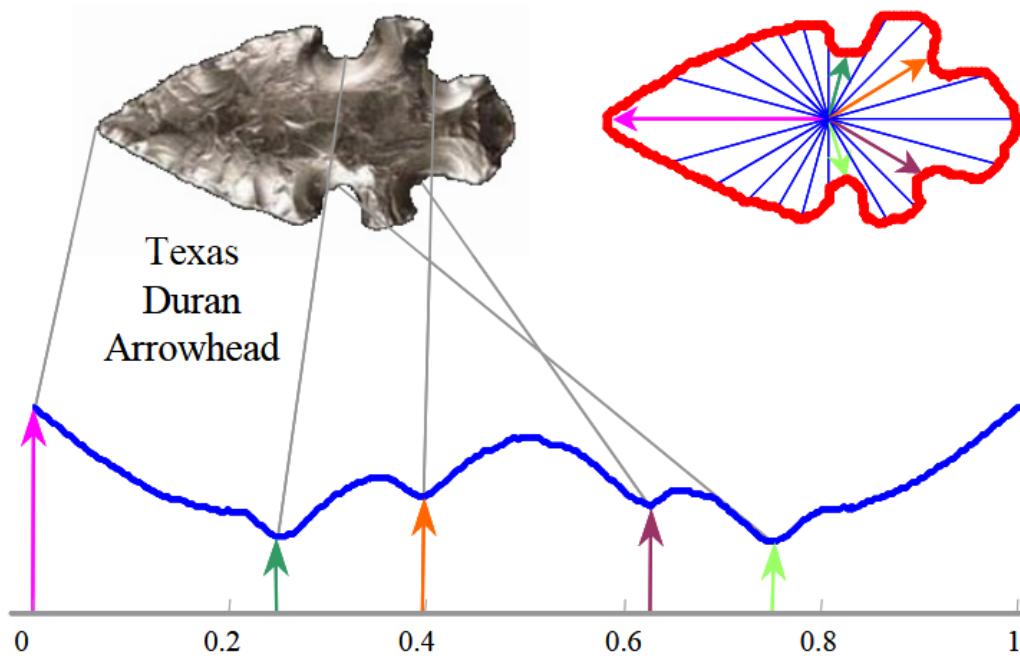
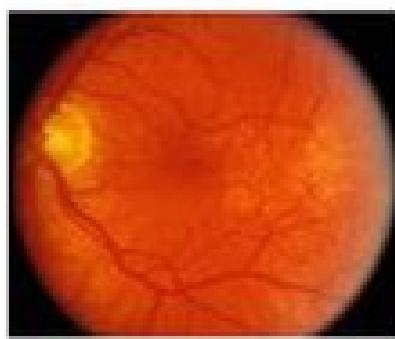
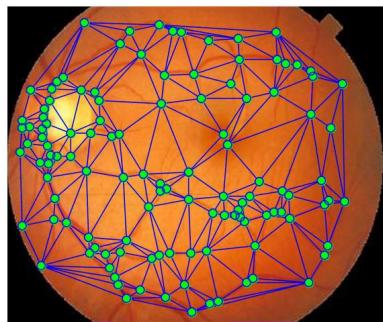


image taken from [Xi et al. 2007]

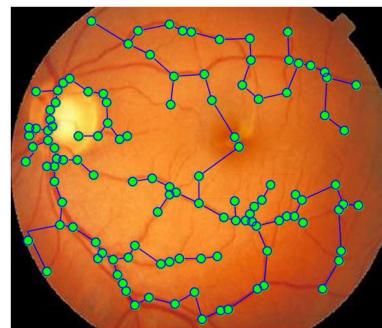
Image -> Graph Conversion



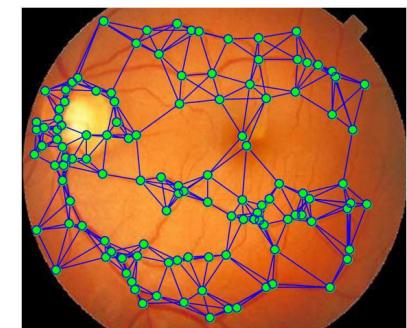
[Deng et al. 2010]



Delaunay
Triangulation



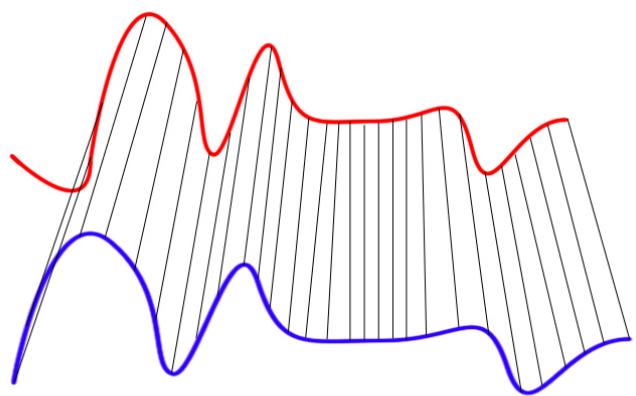
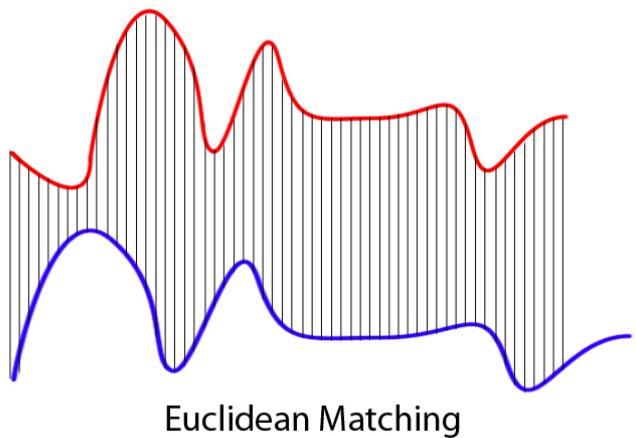
Minimum
Spanning Tree



k-nearest
Neighbors

On Distance Metrics

Example: Euclidian Distance



Dynamic Time Warping Matching

image taken from Wikipedia

Further Reading:

Ding et al. 2008 – “Querying and mining of time series data: experimental comparison of representations and distance measures”

Aghabozorgi et al. 2015 – “Time-series clustering – A decade review”

Bagnall et al. 2017 – “The great time series classification bake off: a review and experimental evaluation of recent algorithmic advances”

On Distance Metrics

Example: Edit Distance

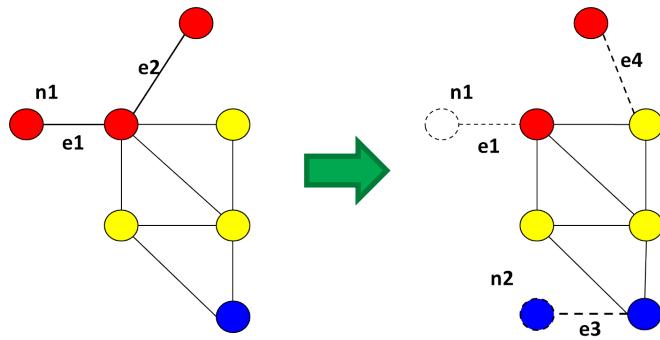


image source: <http://gedevo.mpi-inf.mpg.de>

Further Reading:
Emmert-Streib et al. 2016 – “Fifty years of graph matching, network alignment and network comparison”

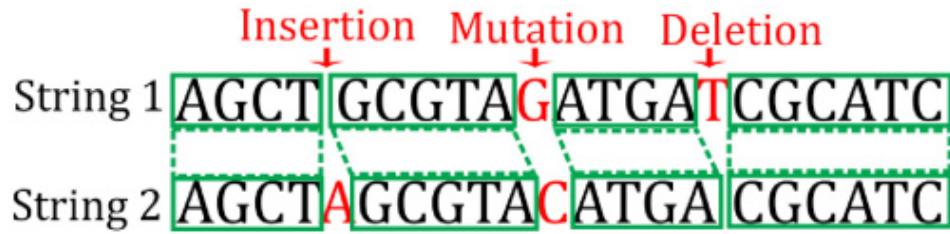
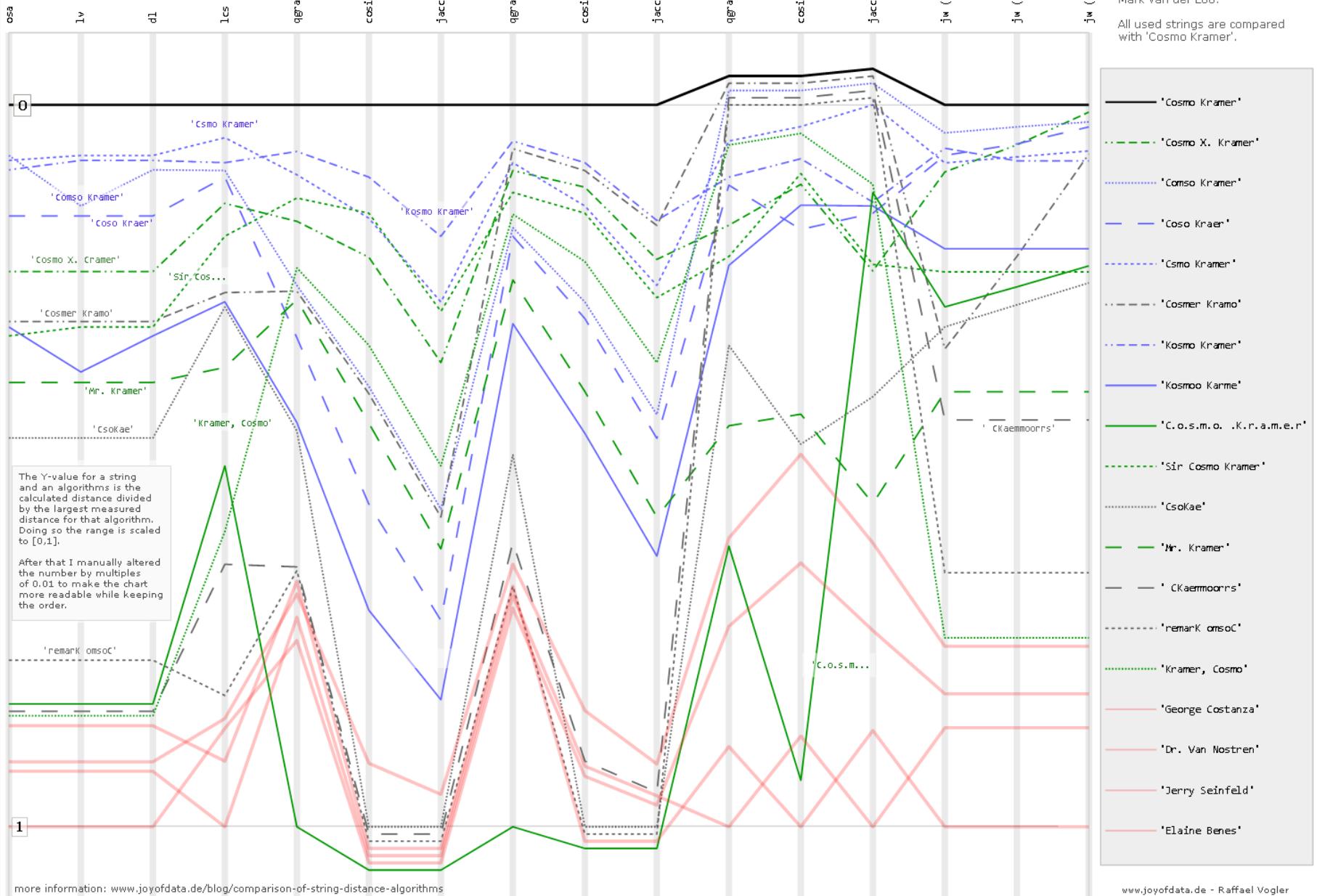


image taken from [Maleki et al. 2017]

Further Reading:
Yu et al. 2016 – “String similarity search and join: a survey”

osa = Optimal String Alignment distance
 lv = Levenshtein distance
 dl = Full Damerau-Levenshtein distance
 lcs = Longest common Substring distance
 jw = Jaro-Winkler distance



Scaled distances for 19 Strings and several algorithms with varying parameters, computed with R package 'stringdist' by Mark van der Loo.

All used strings are compared with 'Cosmo Kramer'.

A Survey of Measures and Methods for Matching Geospatial Vector Datasets

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FRANCISCO J. ARIZA-LÓPEZ and MANUEL A. UREÑA-CÁMARA, Universidad de Jaén

The field of Geographical Information Systems (GIS) has experienced a rapid and ongoing growth of available sources for geospatial data. This growth has demanded more data integration in order to explore the benefits of these data further. However, many data providers implies many points of view for the same phenomena: geospatial features. We need sophisticated procedures aiming to find the correspondences between two vector datasets, a process named *geospatial data matching*. Similarity measures are key-tools for matching methods, so it is interesting to review these concepts together. This article provides a survey of 30 years of research into the measures and methods facing geospatial data matching. Our survey presents related work and develops a common taxonomy that permits us to compare measures and methods. This study points out relevant issues that may help to discover the potential of these approaches in many applications, like data integration, conflation, quality evaluation, and data management.

CCS Concepts: • **Information systems → Geographic information systems; Similarity measures**

Additional Key Words and Phrases: Spatial data integration, map conflation, geometric algorithms

ACM Reference Format:

Emerson M. A. Xavier, Francisco J. Ariza-López, and Manuel A. Ureña-Cámar. 2016. A survey of measures and methods for matching geospatial vector datasets. ACM Comput. Surv. 49, 2, Article 39 (August 2016), 34 pages.

DOI: <http://dx.doi.org/10.1145/2963147>

Approximate data instance matching: a survey

Carina Friedrich Dorneles · Rodrigo Gonçalves ·
Ronaldo dos Santos Mello

Received: 18 December 2008 / Revised: 20 October 2009 / Accepted: 16 January 2010 /

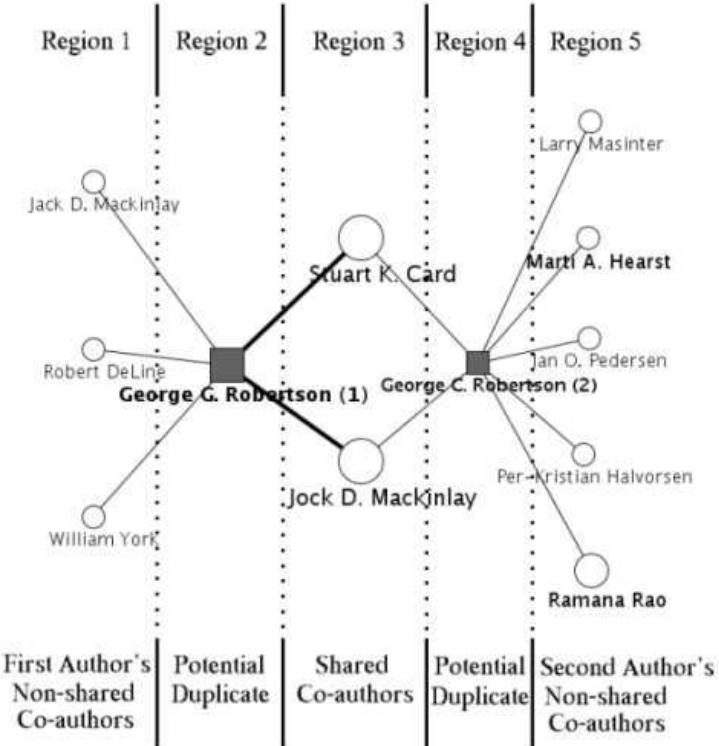
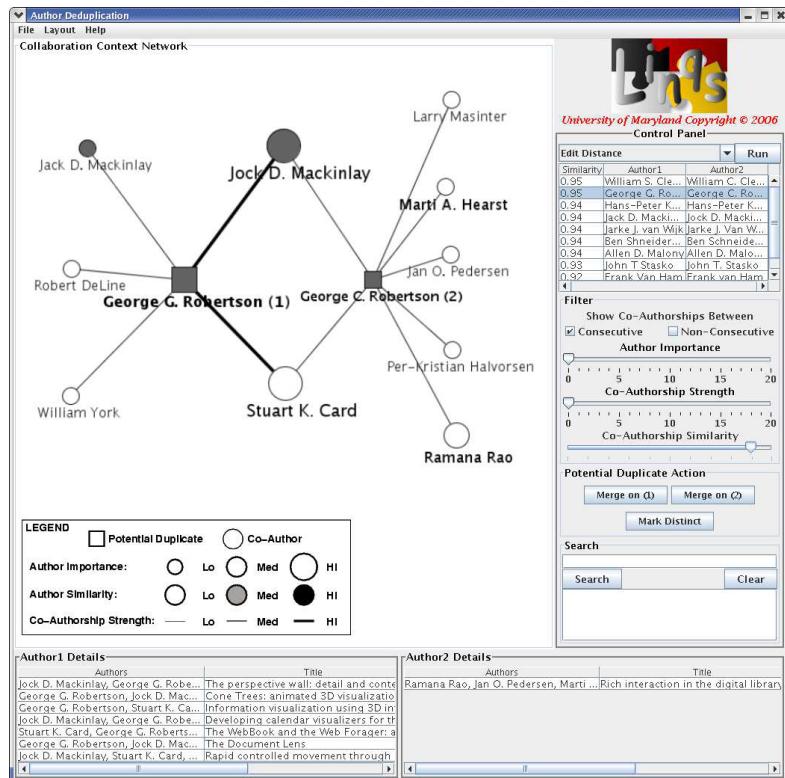
Published online: 9 April 2010

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Abstract Approximate data matching is a central problem in several data management processes, such as data integration, data cleaning, approximate queries, similarity search and so on. An approximate matching process aims at defining whether two data represent the same real-world object. For atomic values (strings, dates, etc), similarity functions have been defined for several value domains (person names, addresses, and so on). For matching aggregated values, such as relational tuples and XML trees, approaches alternate from the definition of simple functions that combine values of similarity of record attributes to sophisticated techniques based on machine learning, for example. For complex data comparison, including structured and semistructured documents, existing approaches use both structure and data for the comparison, by either considering or not considering data semantics. This survey presents terminology and concepts that base approximated data matching, as well as discusses related work on the use of similarity functions in such a subject.

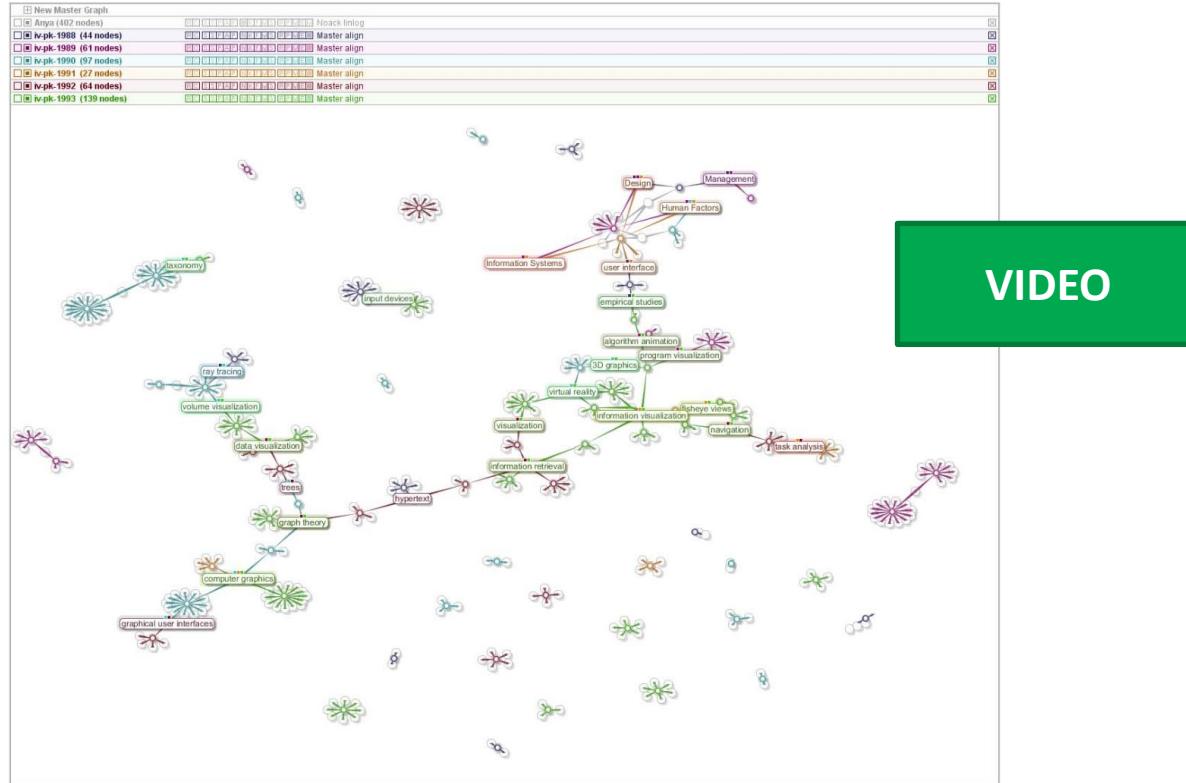
Keywords Instance data matching · Similarity function · Similarity matching · Record linkage · Record matching · Duplicate detection · Object matching · Entity resolution

Example: Interactive Entity Resolution with D-Dupe



[Bilgic et al. 2006]

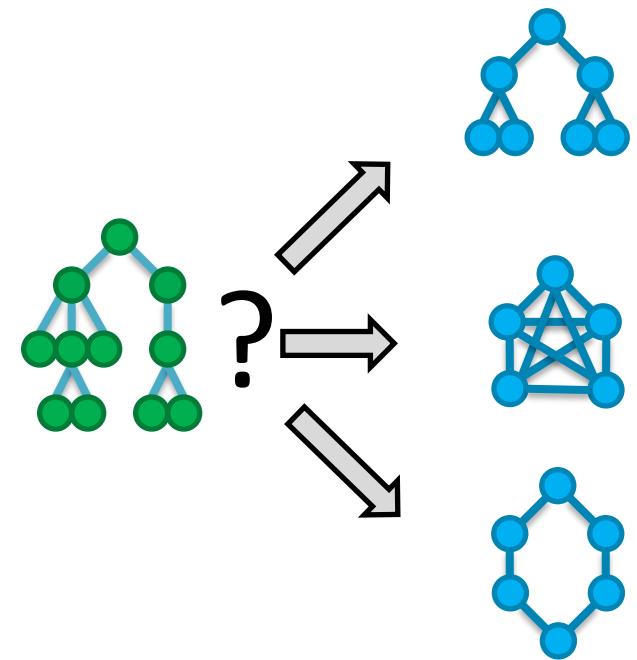
Example: Multi-Layer Comparison for Multiple Graphs



[Hascoët & Dragicevic 2012]

1-to-many Comparison

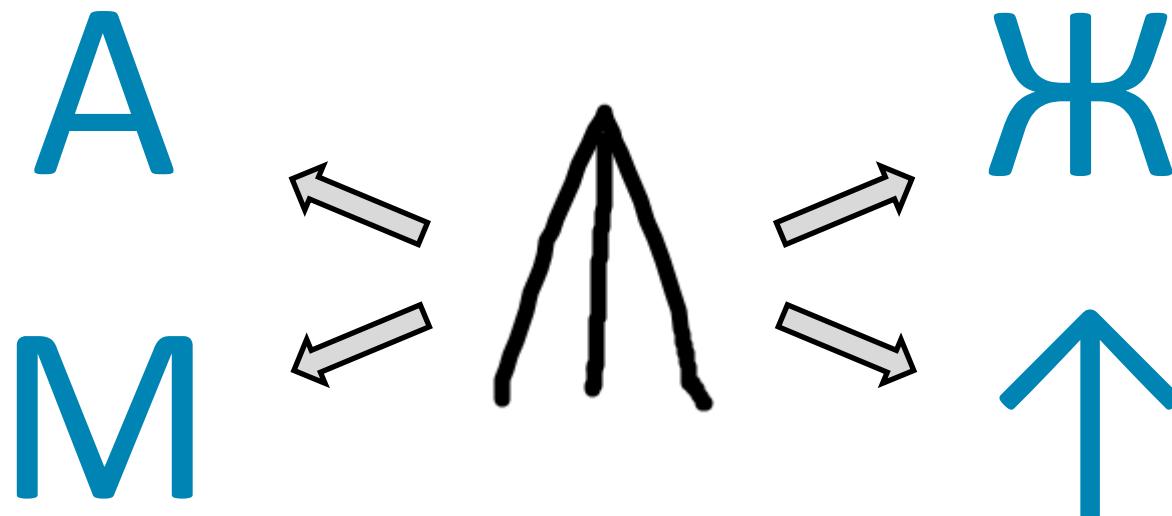
CLASSIFICATION



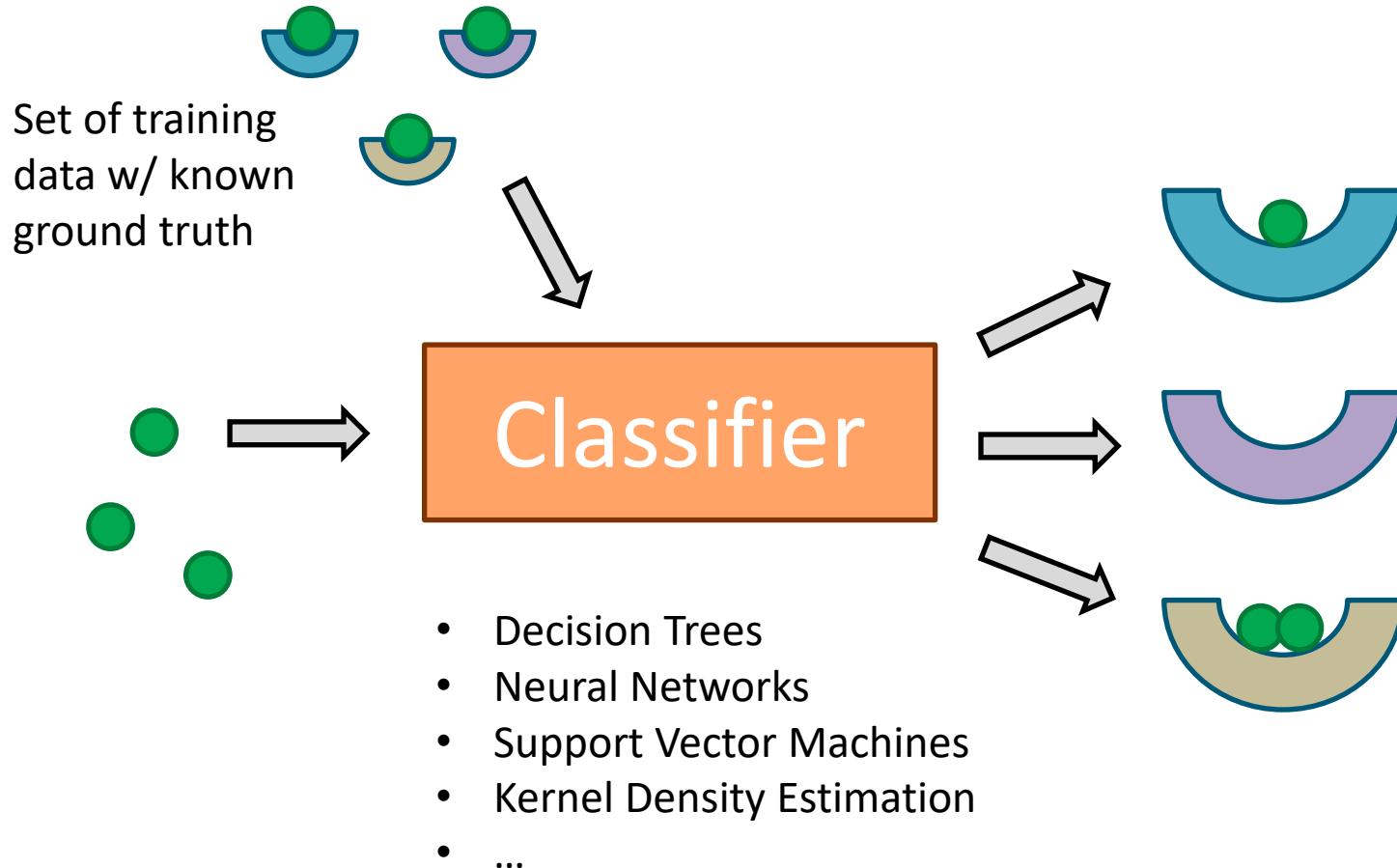
Definition

Classification:

Assignment of a data object to a particular group according to its features, structure, or origin.



Classification as Supervised Learning



Decision Trees

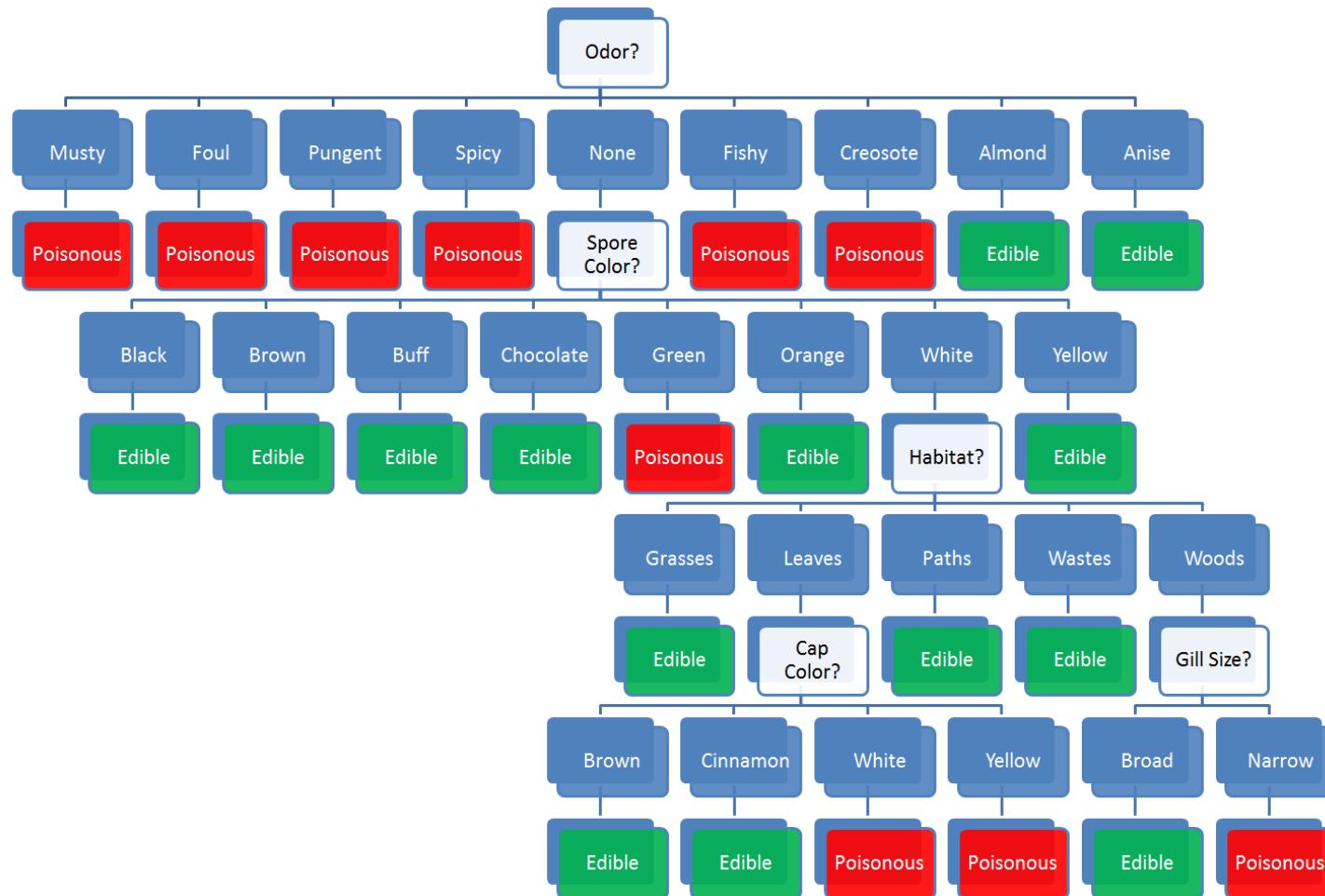


image taken from <https://gieseanw.wordpress.com/2012/03/03/decision-tree-learning/>

How to Build a Decision Tree?

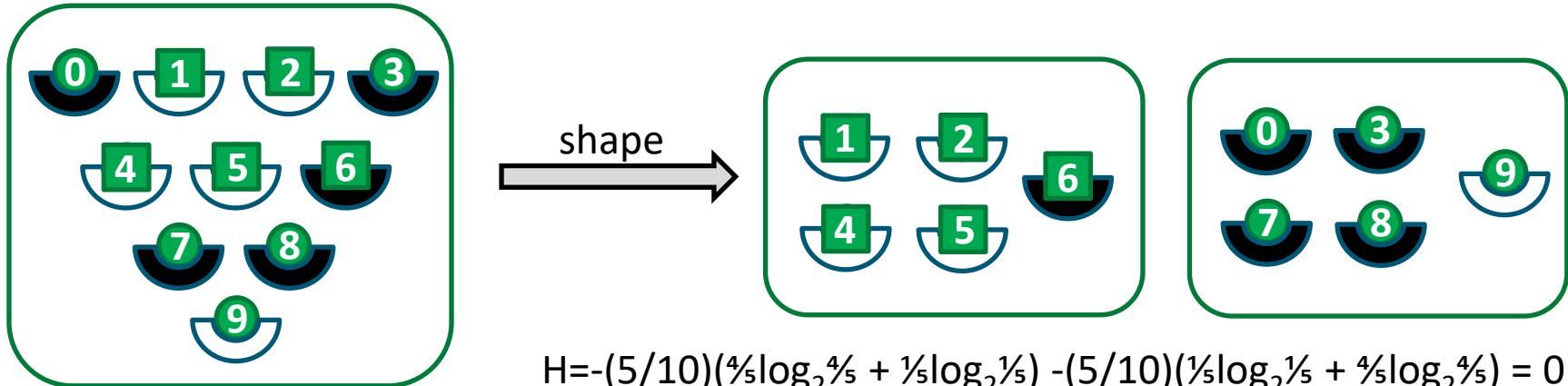
Split(Dataset):

For all data attributes A in data:

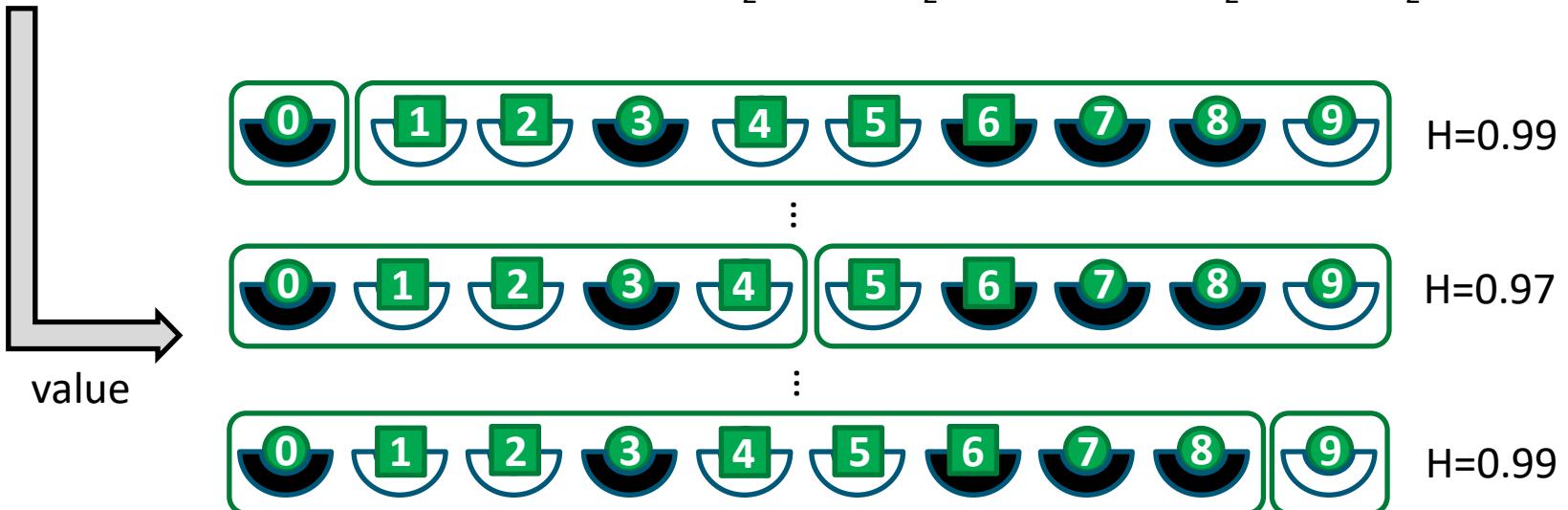
Compute entropy gain when splitting by A

Decision Tree Example

H=1.0



$$H = -(5/10)(\frac{1}{5}\log_2 \frac{1}{5} + \frac{1}{5}\log_2 \frac{1}{5}) - (5/10)(\frac{1}{5}\log_2 \frac{1}{5} + \frac{1}{5}\log_2 \frac{1}{5}) = 0.72$$



How to Build a Decision Tree?

Split(Dataset):

For all data attributes A in data:

 Compute entropy gain when splitting by A

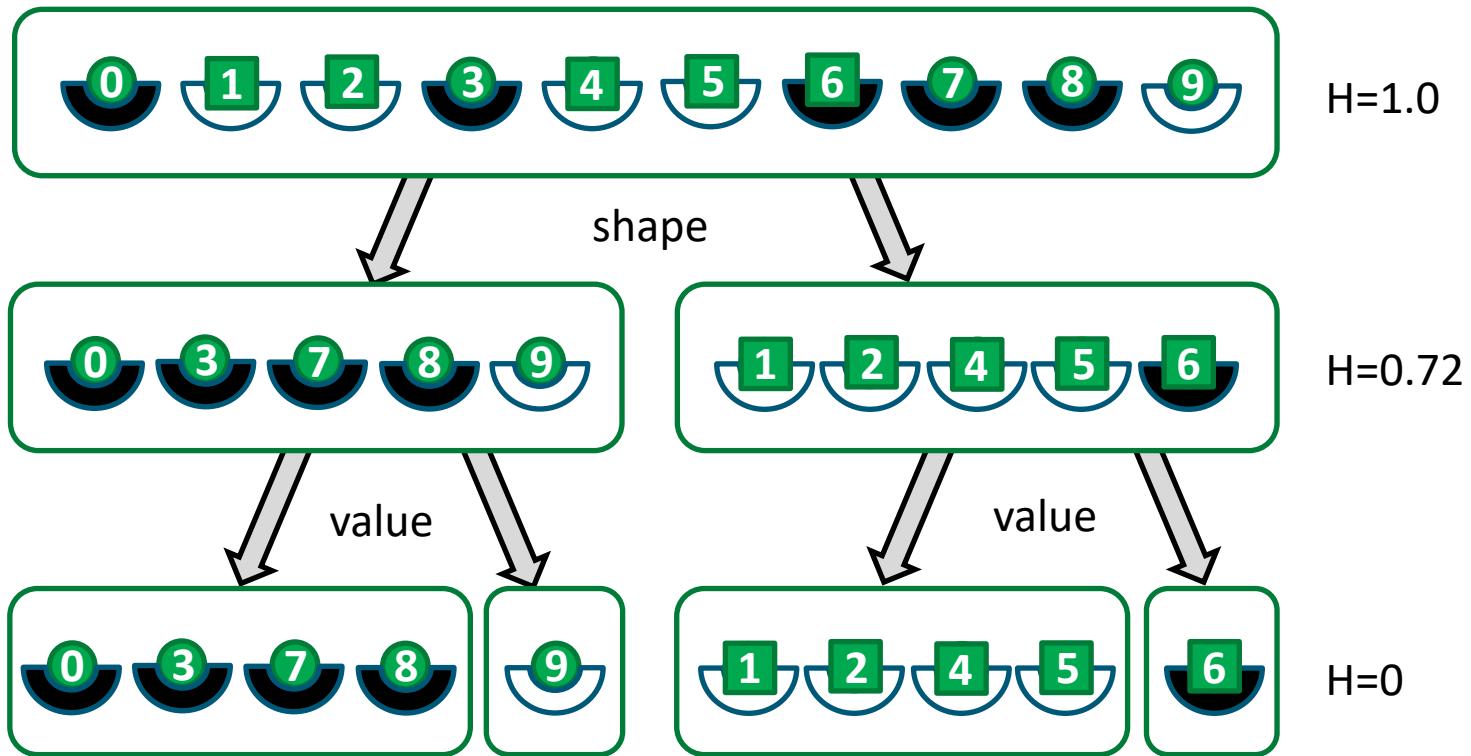
Subdivide Dataset by A w/ highest gain

For all generated data subsets:

 If $\text{entropy}(\text{Data subset}) > 0$

 Split(Data subset)

Decision Tree Example



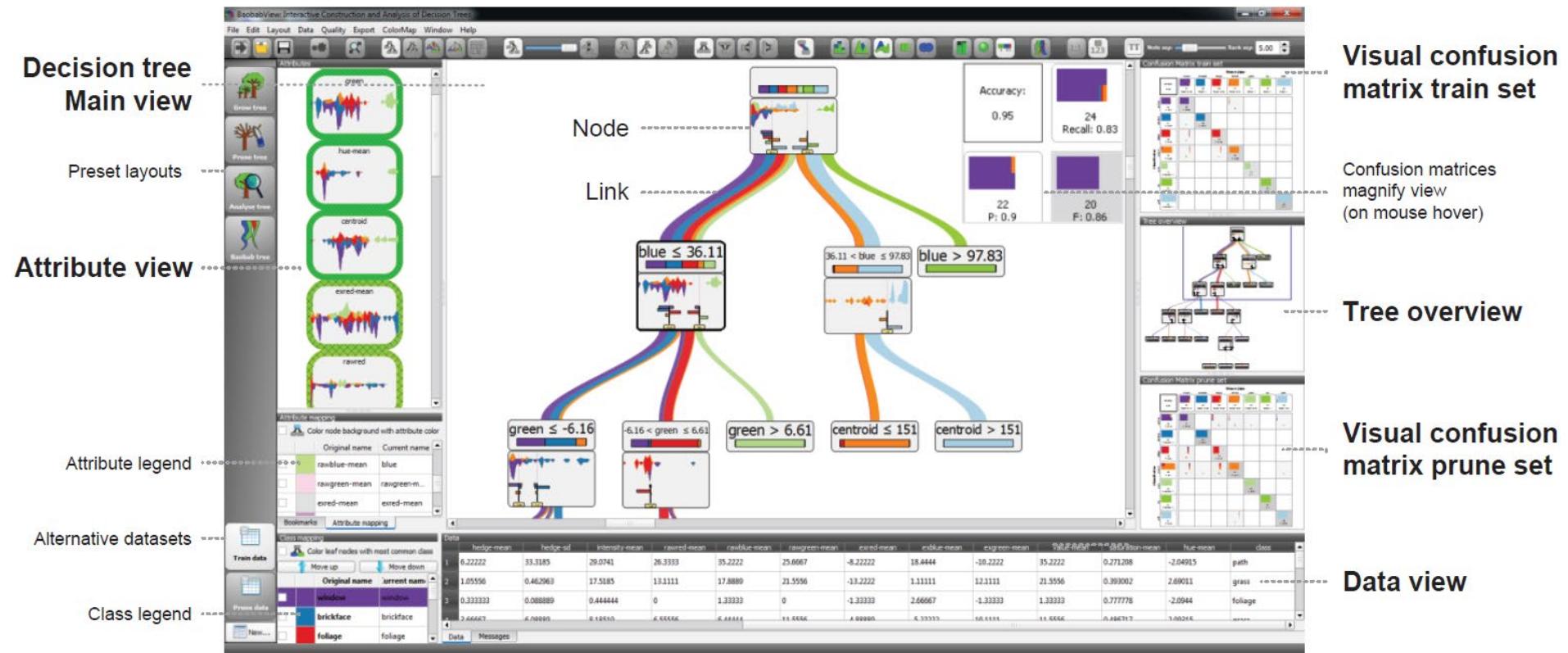
How to Build a Decision Tree?

Algorithms: ID3, C4.5, C5.0 [Quinlan 1993]

Downsides:

- No optimality guarantee (greedy approach)
--> backtracking to escape local minima
- Possible overfitting (large trees)
--> pruning of subtrees, or random forests
- Hard splits on continuous data
--> soft splits that evaluate both branches

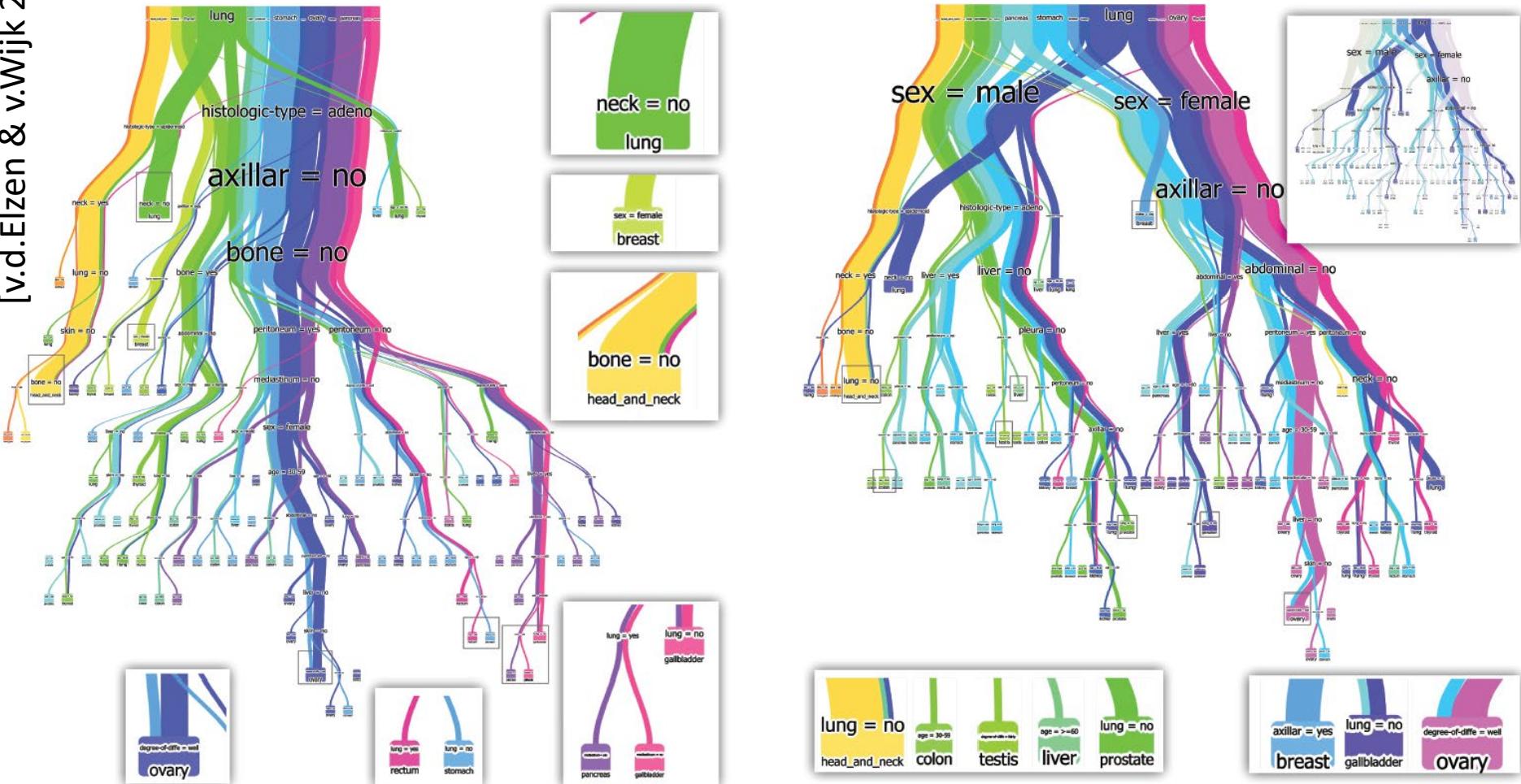
Example: Interactive Decision Tree Construction with BaobabView



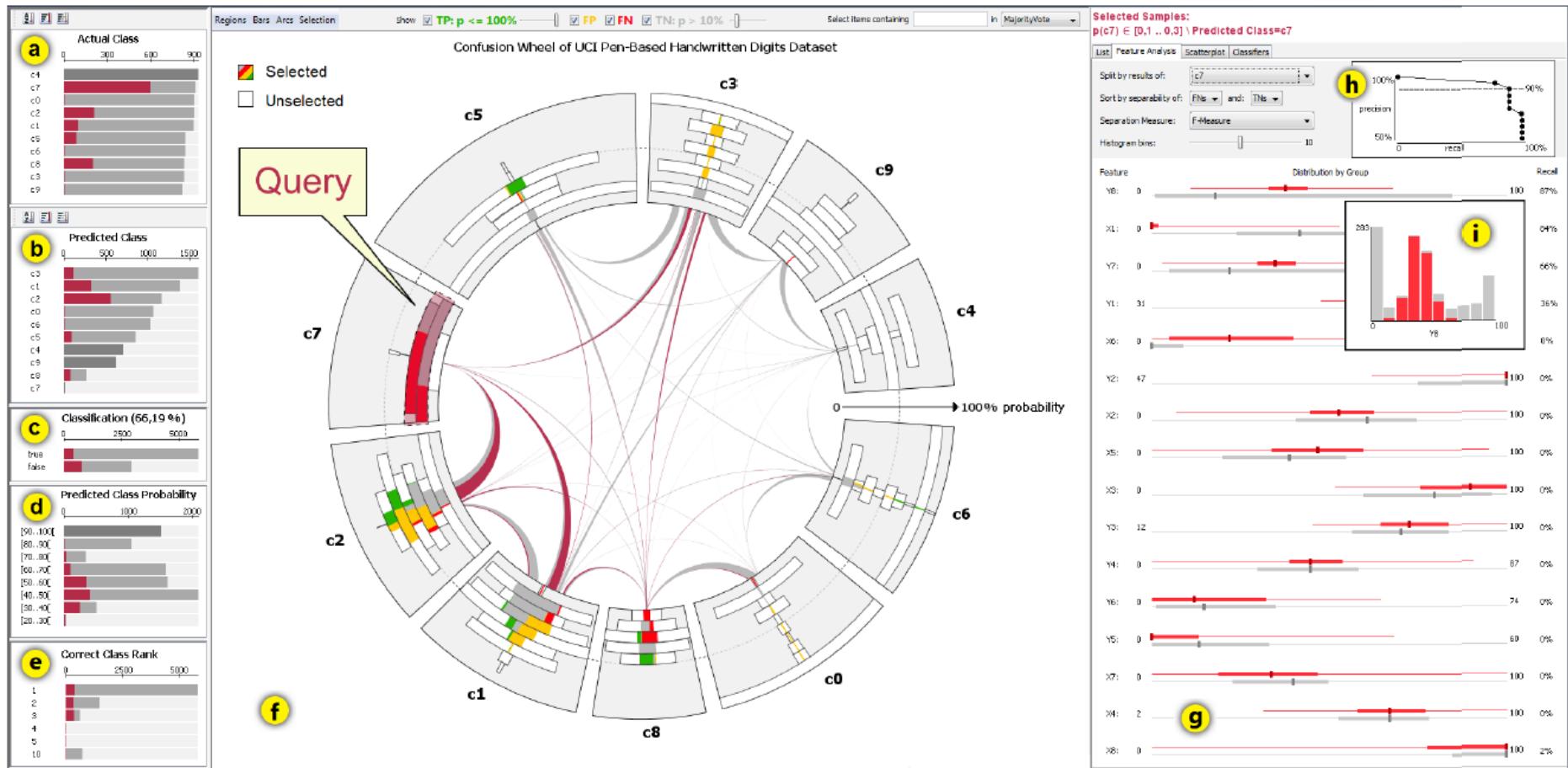
[v.d.Elzen & v.Wijk 2011]

Example: Interactive Decision Tree Construction with BaobabView

[v.d.Elzen & v.Wijk 2011]

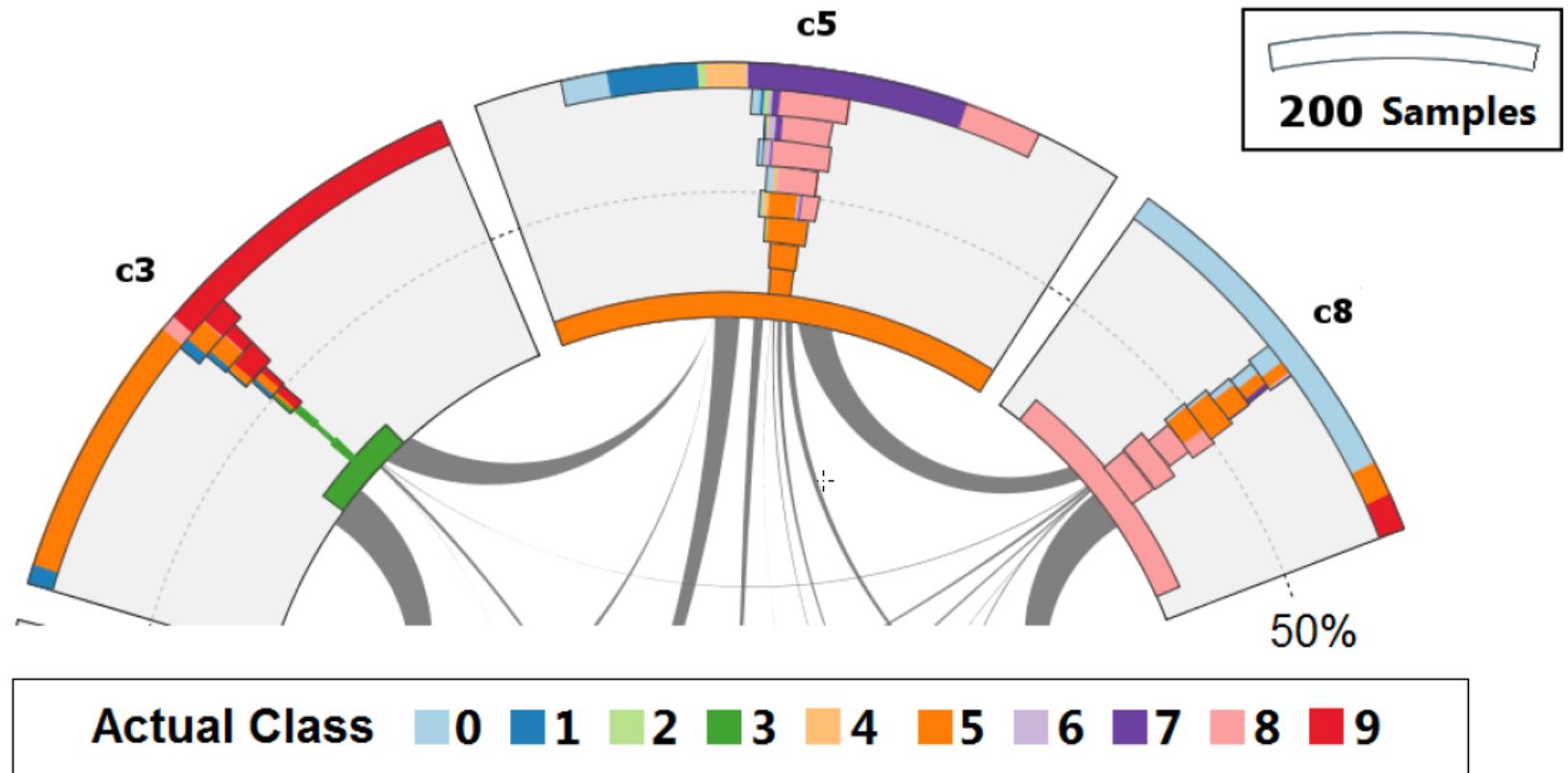


Example: Analysis of Probabilistic Classifiers with Confusion Wheels



[Alsallakh et al. 2014]

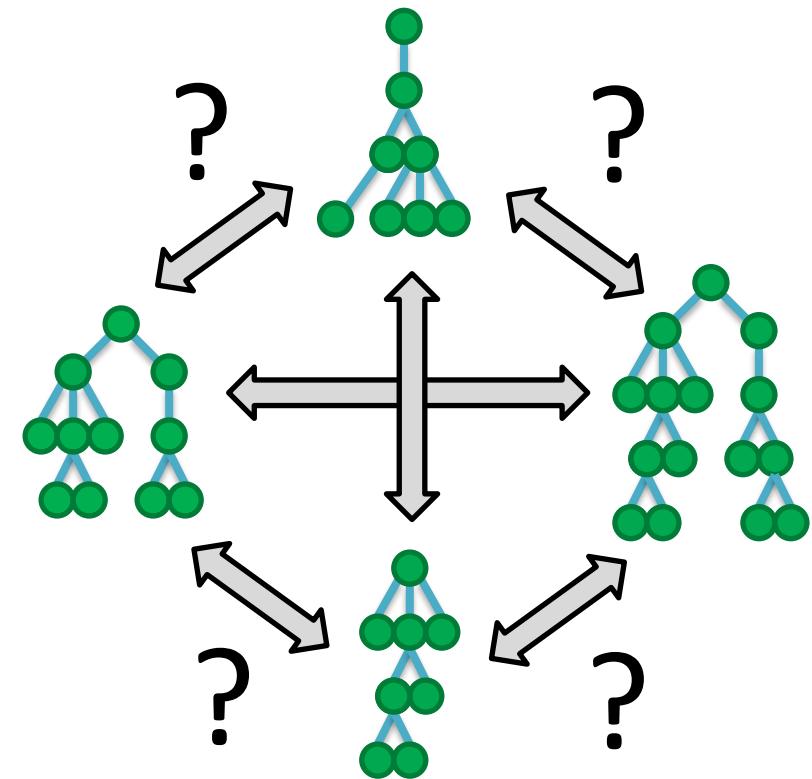
Example: Analysis of Probabilistic Classifiers with Confusion Wheels



[Alsallakh et al. 2014]

many-to-many Comparison

CLUSTERING

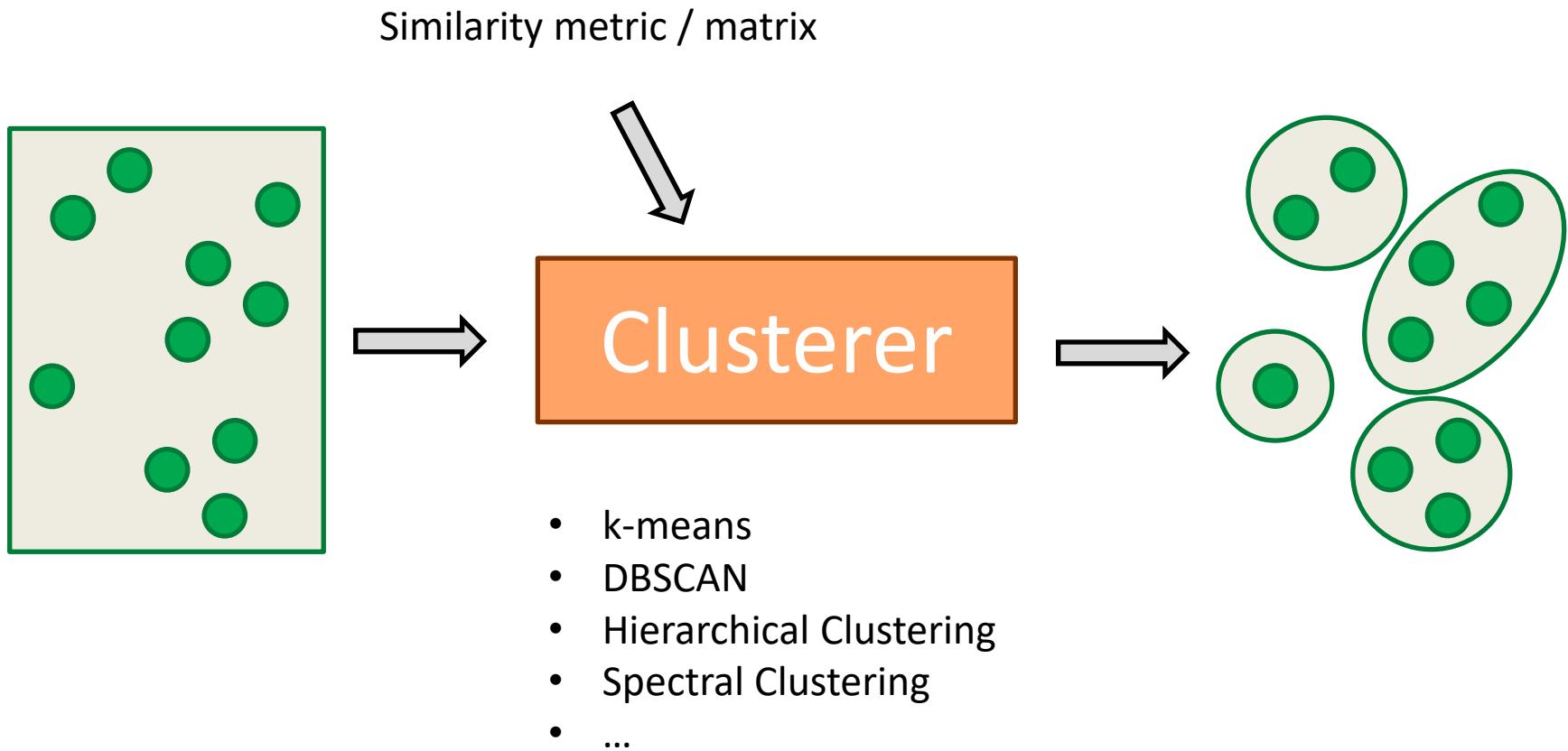


Definition

Clustering: Gathering a number of related data objects into groups, so that data objects within one group are more related to each other than to data objects from other groups.

- **given:** (dis-)similarity measure/matrix
 - n-dimensional, numerical data: Euclidean Distance
 - network data: Graph-theoretic Distance
 - strings of text: Edit Distance
- **sought:** grouping of the data w.r.t. that measure

Clustering as Unsupervised Learning

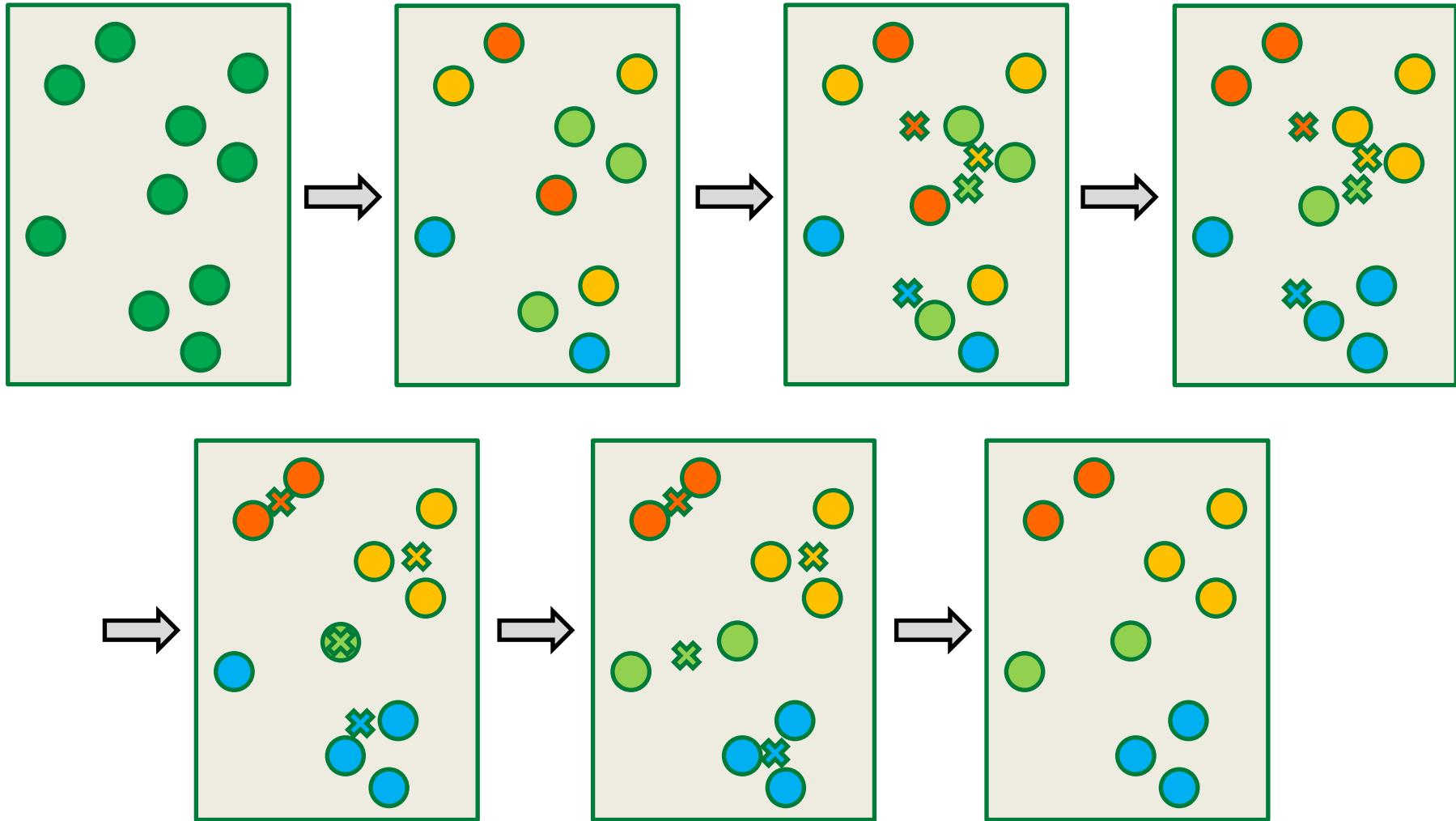


What makes a “good” clustering?

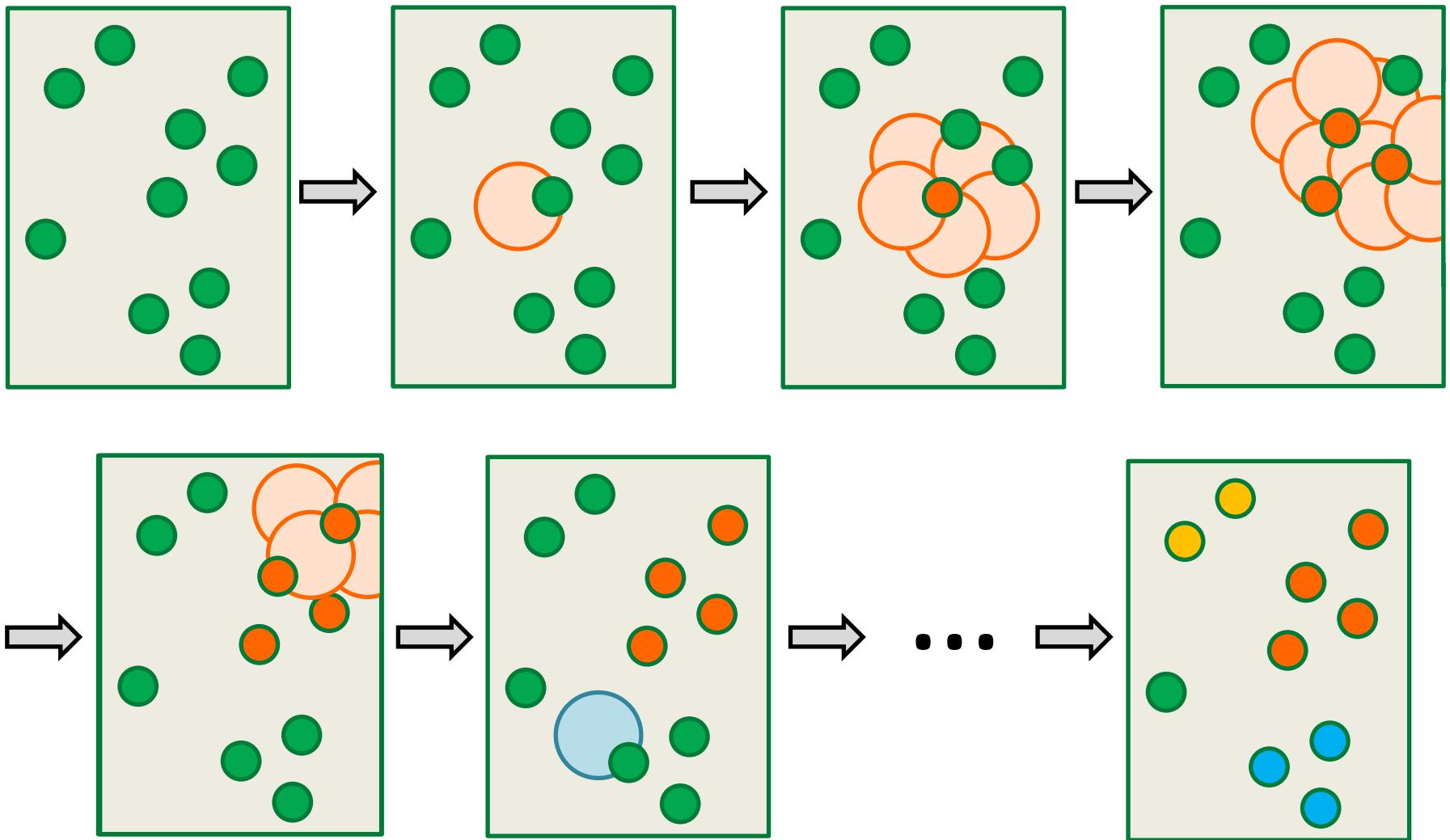
- **Compact:** elements in cluster are similar
- **Separated:** clusters are different
- **Balanced:** cluster membership is equally probable
- **Parsimonious:** much fewer clusters than data objects

Source: Cosma Shalizi (2009)

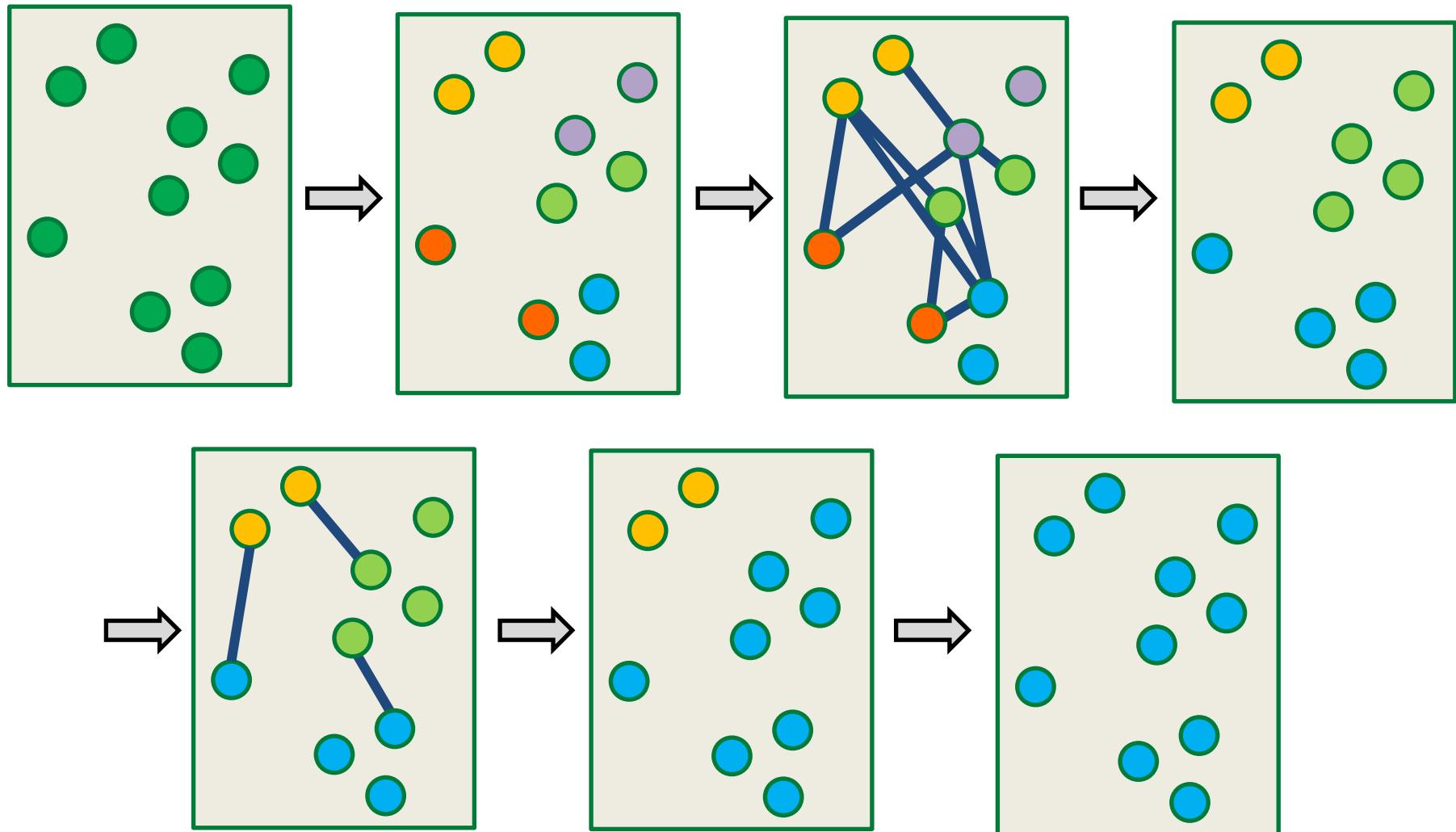
k-Means Clustering



DBSCAN



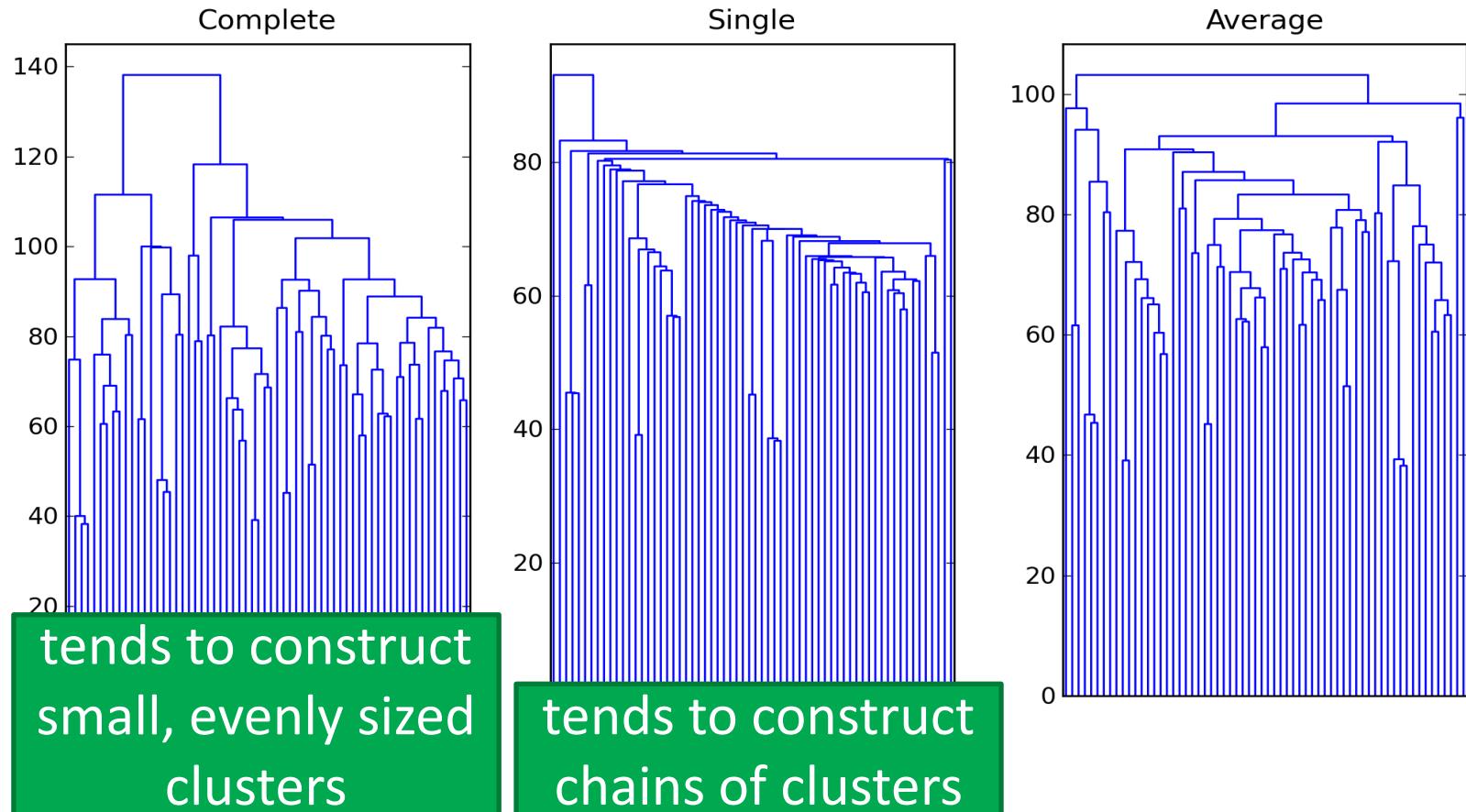
Hierarchical Clustering



Types of Hierarchical Clustering

- Directionality of the clustering:
 - **Top-down:** divisive
 - **Bottom-up:** agglomerative
- Linkage metrics:
 - **Single Linkage:** nearest neighbor
 - **Complete Linkage:** farthest neighbor
 - **Average Linkage:** all neighbors

Effect of different Linkage metrics



Images taken from Jonathan Taylor (2010)

Comparison

k-Means: $O(n)$ runtime, but requires parameter k
--> elbow method

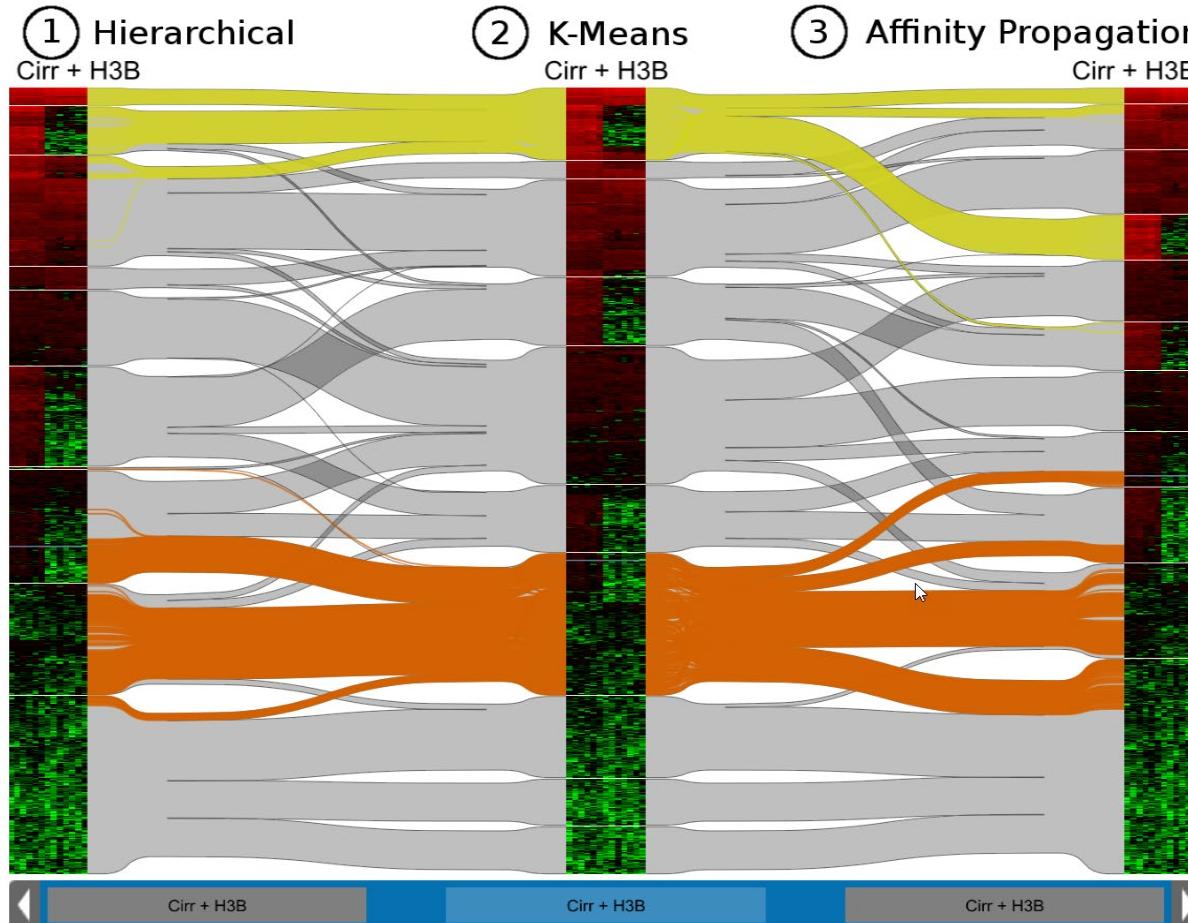
DBSCAN: $O(n * \log n)$ runtime, no k required,
robust to outliers, but problematic for
uneven density distributions
--> hierarchical variant: OPTICS or HDBSCAN

Hierarchical Clustering: $O(n^2)$ runtime, yields
multiple cluster granularities in a single run

When there is no obviously “right” way to cluster...

- Consensus Clustering
 - NP complete
- Heuristics:
 - **Quantitative/metric-based: CSPA**
Cluster-based Similarity Partitioning Algorithm
 - **Structural/graph-based: HGPA**
Hyper-Graph Partitioning Algorithm

Example: Compare Clusterings with Caleydo Matchmaker



[Lex et al. 2010]

Example: Comparison between Cluster Parameters with Clustrophile

a

b

c

d

e

[Cavallo & Demiralp 2018]